

2012 APR 13

(66, Ch 27, P16)

$$E = hf \quad \text{ENERGY OF ONE PHOTON}$$

$$E = hf = \frac{hc}{\lambda} = \frac{(6.63 \times 10^{-34} \text{ J}\cdot\text{s})(3 \times 10^8 \text{ m/s})}{550 \times 10^{-9} \text{ m}}$$

$$= 3.61 \times 10^{-19} \text{ J}$$

$$\text{NUMBER OF PHOTONS} = \frac{10^{-18} \text{ J}}{3.61 \times 10^{-19} \text{ J}} = 2.77$$

NEED 3 PHOTONS

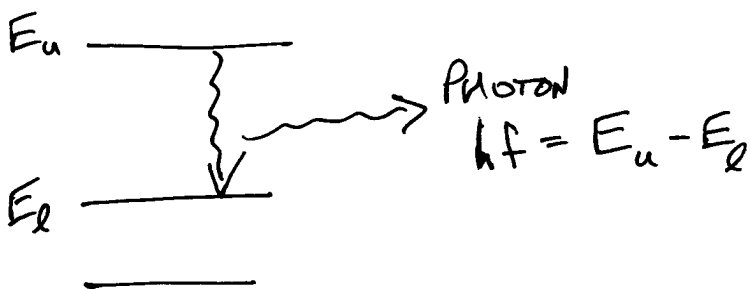
# BOHR MODEL OF AN ATOM

2

NEILS BOHR, 1912

- SOLAR SYSTEM MODEL OF ATOM HAS A THEORETICAL PROBLEM (AN ACCELERATING CHARGED PARTICLE RADIATES.)
- ATOMS, WHEN HEATED OR EXCITED, EMIT LIGHT AT SPECIFIC FREQUENCIES (NOT A BROAD SPECTRUM).

BOHR: WHAT IF ATOMS COULD ONLY EXIST IN CERTAIN PARTICULAR ENERGIES (ENERGY LEVELS)?



## BOHR CONTINUES

3

WHAT IF AN ELECTRON ORBITING A NUCLEUS  
CAN ONLY HAVE AN ANGULAR MOMENTUM  
OF  $0, 1, 2, 3, \dots$  TIMES SOME FUNDAMENTAL  
QUANTUM OF ANGULAR MOMENTUM?

$$L = n\hbar$$

$$\hbar = \frac{h}{2\pi}$$

THIS LEADS TO DISCRETE ~~ENERGIES~~ ENERGIES:

$$E_n = (-13.6 \text{ eV}) \frac{Z^2}{n^2} \quad \text{FOR A ONE-ELECTRON ATOM}$$

$$n = 1, 2, 3, \dots$$

$$Z = \# \text{ OF PROTONS IN NUCLEUS}$$

WE CAN USE THIS EQUATION FOR

- HYDROGEN
- SINGLY-IONIZED HELIUM ( $\text{He}^+$ )
- DOUBLY-IONIZED LITHIUM ( $\text{Li}^{2+}$ )